# Parity Driven Reconfigurable Duplex System

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Abstract—This paper proposes a method improving the fault-coverage capabilities of Field Programmable Gate Array (FPGA) designs. Faults are mostly Single Event Upsets (SEUs) in the configuration memory of SRAM-based FPGAs and they can change the functionality of an implemented design. These changes may lead to crucial mistakes and cause damage to people and environment. The proposed method utilizes Concurrent Error Detection techniques and the basic architectures of actual modern FPGAs - the Look-Up Table (LUT) with two outputs. The main part of the paper is the description of the proposed method (Parity Waterfall) based on a cascade - waterfall - of several waves of inner parity generating the final parity of outputs of the whole circuit. The proposed Parity Waterfall (PWtf) method utilizes the (mostly) unused output of a two-output LUT to cover any single possible routing or LUT fault with a small area overhead. The encapsulation of the proposed PWtf method into a Duplication with Comparison scheme is presented in the second part of the paper. This encapsulation allows us to create a system containing two independent copies of all parts able to detect and localize any single fault (like common Triple Modular Redundancy method). Experiments are performed on the standard set of IWLS2005 benchmarks in our simulator. The results demonstrate differences between our proposed method and a similar existing technique - Duplication with Comparison (DwC), and between the encapsulated PWtf method and TMR. The proposed method has a lower relative overhead and requires a lower number of inputs and outputs.

Keywords—Availability, Fault tolerance, Fault tolerant systems, Field Programmable Gate Arrays, Reconfigurable architectures, Reliability

# I. INTRODUCTION

Field Programmable Gate Arrays (FPGAs) are widely used especially (but not only) due to their flexibility, very good price/performance ratio and rapid design process which shortens and streamlines "time to market". The universality of FPGA chips is based on possible alternations of their configurations. The development is cheaper and faster, because the price of the application based on an FPGA does not include costs of the development of the FPGA chip itself (unlike ASIC). Moreover, the possible reconfiguration without any hardware redesign can be used for either the recovery from a fault state or a less area overhead for pre-designed function changes (the whole functionality should not be implemented on a chip in the same time).

These properties predetermine their use in many areas, even as a control parts in mission critical systems. FPGAs may occur in many different areas (e.g. aviation, medicine, space missions, and railway applications, etc.) with different impacts to people and environment in a case of their failure. Therefore such systems have to guarantee the determined level of safety and reliability parameters. but there may appear problems, especially when RAM-based FPGAs are utilized. The main disadvantage is their sensitivity to many effects that can change their programmed function [1]. These changes are most unwelcome in systems, where financial losses, serious injuries or casualties can be caused because of a failure. The improvement of dependability parameters of the final design is required to minimize the impact of such effects.

Dependability of a system is the ability to avoid *service failures* (situations where the behaviour of the system deviates from the correct behaviour) that are more frequent and more severe than is acceptable [2].

One of the most important techniques allowing improvements of dependability is redundancy. This means that if one part of the system fails, there is an alternative functional part. However, redundancy can have a negative impact on a system performance, size, weight, power consumption, and others [3]. There are many redundancy techniques including hardware, information, time, software redundancy, etc. [3]. We focus on hardware redundancy by replication in this paper.

But each type of hardware redundancy means some space (area) overhead, therefore our aim is to find such methods which will minimize this area overhead with the focus to the lowest hardware/structural level when some types of redundancy will be used. It means that our method must depend on the FPGA type.

The Fault Tolerant method designed for combinational circuits of newer FPGAs is proposed in this paper. The Parity Waterfall (PWtf) is an FPGA-specific and architecture-specific method – it is based on the architecture of newer FPGAs (applied and partially tested on the Virtex-5 family) and the technique of Totally-Self-Checking (TSC) circuits.

The proposed method has been also encapsulated into a Duplication scheme. This modification - Duplication with Parity Waterfall (DwPWtf) – allows to localize detected faults, and the system may be fully operational during the fault repair (i.e. partial reconfiguration, repair and recovery processes are not part of this paper). This modification allows us to compare DwPWtf method to Triple Modular Redundancy (TMR) system directly, because both methods are able to mask a single fault in one part of the design.

Both the plain PWtf and the encapsulated modification DwPWtf are experimentally verified using the standard set of International Workshop on Logic Synthesis IWLS2005[4] benchmarks. The results demonstrate that the PWtf covers all possible routing and logic faults. The area overhead is smaller than the overhead of the Duplication with Comparison (DwC) in 100% of the tested circuits. The results also demonstrate that the overhead of the DwPWtf is smaller than the overhead of the TMR.

Both methods (PWtf and DwPWtf) have been presented in conference papers – PWtf has been presented in [5], DwPWtf has been presented in [6]. This paper summarizes both methods and their results, compares them to common methods (DwC and TMR) and adds a short overview of the future work.

The paper is organized as follows: Section II provides the theoretical background and introduces related methods. The proposed parity waterfall method and its encapsulation is described in Section III. The results are shown in Section IV and Section V concludes the paper.

### II. BACKGROUND

#### A. Basic Primitive Element of FPGA

The proposed method utilizes the properties of the basic primitive of modern FPGA chips – the Look-Up Table (LUT) with two outputs shown in Figure 1. This primitive (LUT6\_2)[7] can implement a 6-input logic function or two 5-input logic functions with shared inputs. A logical function of LUT is specified by 64-bit hexadecimal value stored in an INIT attribute. The upper half (bits 63:32) of the INIT values is used for the upper LUT5 and the lower half (bits 31:0) for the lower LUT5. The logic function of the O5 output correspond only the lower LUT5 value, but the O6 output can use both LUT5 values, which depends on a value of the I5 input.

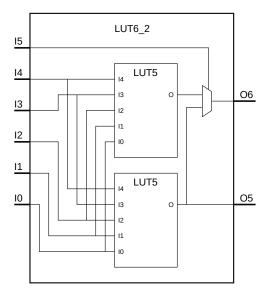


Fig. 1: Six-input, two-output Look-Up Table.

## B. Self-checking Circuit

The main goal of the proposed method is to create a self-checking circuit - a circuit which is able to detect any fault caused by a bit-flip in the configuration memory that may

affect it. A recovery from a bit-flip fault can be performed by a reconfiguration process. Transient faults affecting flip-flops containing data are detected as well and can be recovered by a recovery method.

The self-checking circuit is mostly based on a predictor of some kind of error detection code (i.e. parity predictor, a copy of the original circuit, etc.). The outputs of this predictor – the check bits – are connected (together with the outputs of the original circuit) to the checker that is able to determine whether the original circuit or the predictor is faulty or not. The checker must be able to detect faults inside itself to achieve a Totally-Self-Checking (TSC) system.

## C. Common Hardware Redundancy Types

In this section, two well-known redundancy types are compared. The first one – a TSC – is able to detect any single fault affecting the system, but it is not able to localize it. The duplication with comparison is not fully functional when a fault is detected. The second system is a Triple Modular Redundancy (TMR) that is able to mask and localize any single fault affecting the system. The triple modular redundancy system is fully functional when a single fault is present.

1) Duplication with Comparison: A totally self-checking DwC is shown in Figure 2. A DwC contains two copies of the original circuit, two independent sets of inputs, two independent checkers (comparators), and two independent sets of outputs. If any of these parts is present in one copy only, the system is not a DwC system anymore, because a fault in such part cannot be detected.

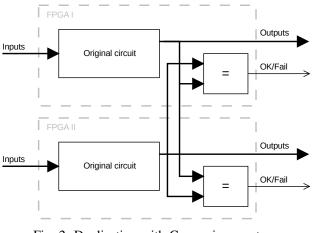


Fig. 2: Duplication with Comparison system.

2) Triple Modular Redundancy System: A totally selfchecking Triple Modular Redundancy system (TMR) is shown in Figure 3. A TMR system contains three copies of all parts (inputs, original circuits, checkers, and outputs) described in the DwC case. A TMR system is able to detect and localize any single fault, it may detect multiple faults, if there are at least two unaffected copies of the original circuit and the voter/checker. If any of the parts is not present in three copies, a fault may not be successfully localized. If any of the parts is present in one copy only, it becomes a single point of failure. In both cases, the system is not a TMR system anymore.

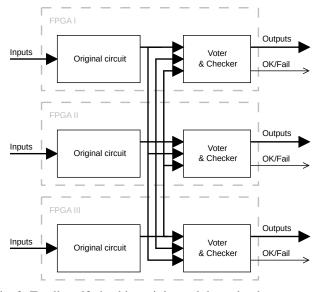


Fig. 3: Totally self-checking triple modular redundancy system.

#### D. Related Fault Detection Methods

The faults can affect both Configuration Logic Block (CLB) content or the signal routing as described in [8].

The related fault detection methods are described below – they are sorted by the fault-detection locations they monitor.

1) Routing Faults: The method presented in [9] aims on the routing faults in FPGAs. It introduces two new Configurable Logic Block (CLB) designs using a pre-computed parity value to detect error on any one of the input nets. However, the method uses off-line detection and it cannot be used in current FPGAs (because of the modified CLB design).

The slightly similar method is described in [10]. This selective TMR (STMR) method is based on a modified circuit structure where the selected gates are tripled and the effectiveness of the method depends on the input signal probabilities. The area of STMR is smaller than TMR, but the fault coverage does not reach 100%.

2) LUT Content Faults: Most methods are based on the dual-output LUTs and use the unused parts of the LUTs to mask some faults in the LUTs by duplication [11], [12], [13] or use TMR method [14]. The other methods maximize the fault-masking capabilities of a LUT using logic decomposition and restructuring [15].

Another method is described in [16], where a new CLB architecture is proposed by applying the TMR method to a function generator that can generate any k-input boolean function.

The main disadvantage of these methods is a limited coverage of the faults (thus they do not cover all faults applicable to FPGA) and/or a requirement of a special architecture of CLB (thus they are not applicable on the current FPGAs). The method presented in [13] uses similar technique to the one presented in this paper, but it is based on duplication, thus it requires comparators to operate and it is not focused to achieve 100% fault coverage. Our proposed parity waterfall method combines several practices, it is able to cover all possible faults and uses the basic element of existing modern FPGAs.

# III. NEW METHODS

# A. Parity Waterfall Method

The main goal of the parity waterfall is to cover all possible routing and LUT content faults using a TSC circuit with a parity generator with small area overhead at the same time. The parity waterfall block shown in Figure 4 performs the original function modified by the proposed PWtf method. The checkers are connected not only to the PWtf block outputs, but also to the PWtf block inputs, where the outputs of the previous block and/or primary inputs are checked.

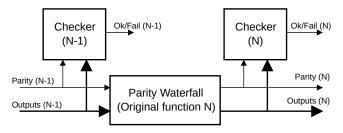


Fig. 4: Totally-Self-Checking circuit with Parity waterfall method.

The final parity of outputs of the whole circuit is calculated using a cascade (waterfall) of several waves of inner parities. The example of the cascade of parity waves is shown in Figure 5.

The first parity wave of the example is generated using the parity of the inputs of the circuit (A, B, C, and D) and the O5 (parity) outputs of the first level of the LUTs (two 2-input LUTs in the left part of Figure 5). The other waves are generated using the parity output of the previous wave and the O5 outputs of the last level of the LUTs. Each fault is propagated to the end of cascade and can be detected by the checker (parity predictor) connected to the PWtf block outputs.

The routing fault affecting any input of the LUT will change the value of the O5 output, therefore the change will be propagated as a single change to the parity wave at the next level. The same fault affects the O6 output as well, it will be distributed to other LUTs, where it will manifest as the routing fault of an input and is propagated as an another single change to the after-the-next parity wave. If the output of the circuit is affected by this fault as well and the parity output affected by two changes is correct, the parity predictor connected to the PWtf block outputs will detect it. If the output of the circuit is not affected by this fault, the checker of the next circuit will not detect it, but the output is correct and the fault is dormant (hidden). This detection scheme can fail, if the O6 output is connected to two (or the other even number)



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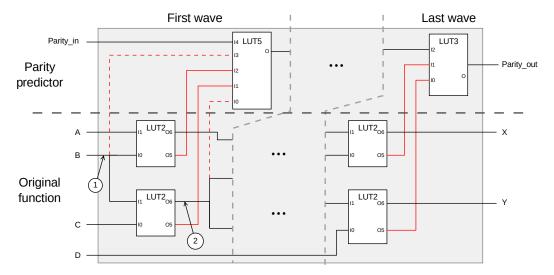


Fig. 5: Parity Waterfall wave cascades example.

LUTs. More details about this situation and its solution will be presented in Section III-A1.

The fault affecting the content of the LUT will change the O5 or O6 output (it cannot affect both output simultaneously), thus it can be treated as the routing fault on the inputs of the connected LUTs.

A more detailed view to a single parity wave is shown in Figure 6. It is based on an original block composed from two LUTs (one LUT3 and one LUT2). The parts added by the proposed method are highlighted with the green color. The yellow colored blocks represent two identical logic functions. The bottom LUT6\_2 presents the main idea of the proposed method. The method is based on LUT6\_2 architecture, where two 5-input LUTs are multiplexed. If the original block contains LUT5 or smaller, LUT6\_2 will be only configured partially, thus we can utilize the second LUT5 for our method.

The output X of the original function is generated using the output O6 of LUT3 (the output O6 of LUT6\_2 would be used in a real FPGA). The output O5 of the same LUT is used to generate the inner parity for the parity of the first wave. The LUT5\_bottom contains the function of original logic from LUT5\_top, which is masked by the XOR function of LUT inputs (it performs a partial check of the inputs). This method is applied on each LUT of the original block. Then we add the last part composing all inner parities and the parity of inputs using the XOR function. This part not only composes inner parities together, but also unmasks the parity of outputs via the parity of inputs.

The following equations show the basic principle of parity unmasking for an example circuit shown in Figure 6.

The parity of outputs output is created from the O5 outputs of both LUTs and parity of inputs input. If no error is present, parity of outputs is equal to  $X \oplus Y$ , but, when an error occurs, it is equal to  $X \oplus Y \oplus 1$  (error at an input) or  $X \oplus \overline{Y}$  (error in a logic function). The equation of the output checker is  $X \oplus Y \oplus parity_out$ , thus checker output is equal to zero

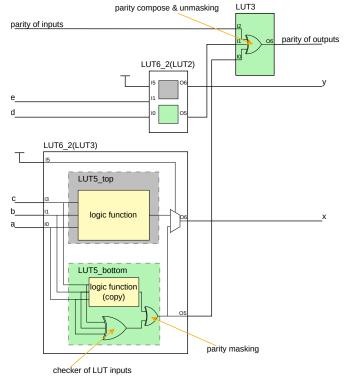


Fig. 6: Parity Waterfall method details.

 $(X \oplus Y \oplus X \oplus Y)$ , if no error is present. When an error occurs, the output is changed, therefore any single error can be detected.

The possible fault locations:

Inputs:

- A, B, C, D, E this fault can cause incorrect output and the same (undetectable) error at the output parity. But the output parity is changed to incorrect code word through unmasking part, because the input parity does not match parities from checkers of LUT inputs. The fault is detected by the checker connected to the block outputs.<sup>1</sup>
  parity of inputs the incorrect input parity is propagated to
- the output parity and can be detected by the checker, too.
- *15 of LUT6\_2* this fault changes the output O6, which is now equal to O5 and the output parity is correct after unmasking, but it does not match the final outputs.

Outputs:

X, Y,

parity of outputs - detected by the checker directly.

LUTs:

*LUT5\_top* – this fault changes the output O6 and can be detected by the checker.<sup>2</sup>

- *LUT5\_bottom* the inner parity is changed and produces the incorrect parity of outputs that can be detected by the checker.
  - *LUT3* the incorrect parity of outputs will be generated (and detected by the checker).

The method can be modified to perform an independent check of each parity wave output, but this modification is not used in this paper.

1) Routing Condition: The proposed PWtf method requires a specific routing condition. If the fanout of any signal is even (it is connected to the even number of other LUTs and/or outputs), it can cause incorrect output undetectable by the output parity. The proposed method avoids this situation by adding another branch to all signals with even fanout (represented by the dashed lines in the illustrative example).

If the split of the signal is performed correctly (see the signal marked as (1) in Figure 5), the fault can affect one branch of the signal, or all three. If a fault affects odd number of branches, it will be detected by the parity waterfall method. On the other hand, the signal containing the incorrect split (marked as (2)) contains a critical part (the black vertical part). The fault affecting this critical part affects two independent branches, thus it may not be detected.

The signal can be split several times, but all splits have to be performed correctly. The splits have to be corrected, when all components are placed and all signals are routed (after Place & Route step of the implementation). The automated tools performing these corrections are currently under development.

2) Method Application – Parity LUT Content Calculation: A logical function of LUT of a Virtex 5 is specified by 64-bit hexadecimal value stored in an INIT attribute. The upper half (bits 63:32) of the INIT value is used for the upper LUT5 and the lower half (bits 31:0) for the lower LUT5. The logic function of the O5 output corresponds only to the lower LUT5 value, but the O6 output can use both LUT5 values, depending on the I5 input value.

The parity waterfall method requires the function generating the O5 output of the LUT has to be configured as the result of XOR operation of the O6 function and the XOR of all inputs of the same LUT (see the green part of the LUT6\_2(LUT3) in Figure 6).

The LUT6\_2 primitive does not contain a XOR allowing connection between O6 and O5, but the INIT value – the content of the memory controlling the output of the LUT – of the lower LUT5 generating the O5 output can be calculated to effectively generate such XOR function, if the INIT value of the upper LUT5 generating the O6 output is known.

# Parity LUT Content Calculation – Example

The following example shows, how the INIT value of LUT6\_2 can be calculated. It is not necessary to know the original function, the waterfall method can perform the next steps using INIT value provided by any synthesis tool. The example is based on the INIT value of LUT4 (1) value provided by a synthesis tool.

$$LUT4\_INIT = 0145 \tag{1}$$

FPGA chips contain LUT6\_2 primitives only, thus the INIT value must be extended to cover 5-input function. The extension of the 4-input function to a 5-input function (2) is a doubled copy of the original INIT value (1). This INIT value (2) guarantees that the value of the output will not depend on the fifth unused input.

The INIT value generating 5-input XOR function (3) does not depend on the original function. The 5-input XOR function depends on the fifth input (that was unused by the original function) - it allows the method to detect faults affecting this input.

Bitwise XOR applied on values (2) and (3) provides INIT

<sup>&</sup>lt;sup>1</sup>Only if the fanout of the input is odd – more details about even-fanout situation will be presented in Section III-A1.

<sup>&</sup>lt;sup>2</sup>Only if the fanout of the O6 output is odd – more details about even-fanout situation will be presented in Section III-A1.

value generating the O5 function of the LUT6\_2 primitive (4).

$$LUT5\_INIT\_O6 = 01450145$$
(2)

$$INIT\_5-Input\_XOR = 96696996 \tag{3}$$

$$LUT5\_INIT\_O5 = 972C68D3$$
 (4)

The unused input can be also used to optimize the number of LUTs generating parity waves. An O5 output of a LUT of any of the previous levels can be connected to such input. The O6 function will not be affected, the O5 function will generate XOR including this input. If the O5 output is connected to the unused input, it does not need to be connected to the parity-wave logic and this logic may be reduced. The results presented in this paper are generated using this optimization.

The concatenation of the INIT values of the O6 (2) and O5 (4) functions forms the INIT value of the LUT6\_2 primitive (5). The inputs I0-I3 are used to generate the original function and the inner parity, the input I4 can be used to optimize the number of parity waves, and the last input I5 must be connected to logic "1", the O5 function would be propagated to the O6 output otherwise.

$$LUT6_2_INIT = 972C68D301450145$$
(5)

*3) Preparation Flow:* The standard IWLS2005 benchmarks are described in BLIF format and were used in our experiments. Process flow of the whole preparation and simulation is shown in Figure 7.

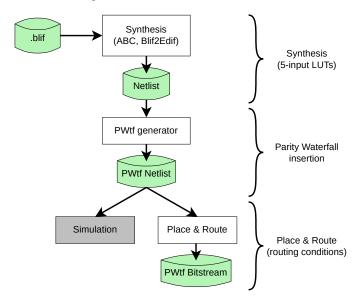


Fig. 7: Parity Waterfall preparation diagram.

The process starts with creating an EDIF file. A source BLIF benchmark file is minimized and synthesized with the ABC[17] tool and it is executed with dch; if -K 5; mfs parameters (the result will contain only LUTs with 5 or less inputs). Then is the final BLIF converted to EDIF by our

Blif2Edif tool. These three steps can be skipped, if a circuit is described in EDIF format and contains only LUTs with 5 or less inputs.

This EDIF with original circuit is the input for our Parity Waterfall insertion tool. This tool creates a new EDIF containing all the necessary logic and signals that can be implemented in common tools or used for simulation in our software simulator.

The correction of the signal splits described in Section III-A1 would be performed after Place & Route step of the implementation. The automated tools performing these corrections are currently under development.

#### B. Parity Waterfall Method Encapsulation

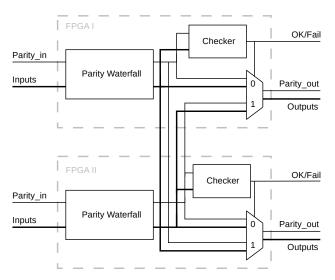


Fig. 8: Duplication with Parity Waterfall system block scheme.

The parity waterfall circuit allows us to create a system comprising of two independent copies of all parts and detection and localization of any single fault (like TMR). Our structure – DwPWtf – is based on DwC combined with Concurrent Error Detection principle presented in [18]. The original circuits and comparators of the DwC are replaced with the proposed parity waterfall method (see the block diagram in Figure 8).

Because the parity waterfall method is able to detect all faults in the circuit (see the result in Section IV-A), the fault detection and localization does not require output comparators anymore. If a fault affects the original circuit, the checker will detect it and the outputs from the other unaffected FPGA will be enabled. If a fault affects the checker, the false-positive fail signal will be enabled. The outputs from the other unaffected FPGA will be enabled in such case, too. The reconfiguration of the affected FPGA is performed in both cases, thus the fault will be removed.

#### IV. RESULTS

The proposed method (PWtf) and its encapsulation (Dw-PWtf) were tested on the set of standard IWLS2005 bench-

Benchmark	Original		Overhead	PWtf		DwC	
	(IOs)	(LUTs)	(%)	(IOs)	(%)	(IOs)	(%)
ac97 ctrl	132	3184	15.30	135	115.33	266 <sup>1</sup> /458 <sup>2</sup>	200.06
aes core	388	6783	13.70	391	113.71	778 <sup>1</sup> /1294 <sup>2</sup>	200.03
des area	304	1588	13.04	307	113.22	610 <sup>1</sup> /866 <sup>2</sup>	200.25
des perf	298	9946	18.97	301	118.98	598 <sup>1</sup> /854 <sup>2</sup>	200.02
ethernet	213	12642	15.08	216	115.09	428 <sup>1</sup> /888 <sup>2</sup>	200.02
i2c	33	277	12.27	36	112.64	68 <sup>1</sup> /124 <sup>2</sup>	200.72
mem ctrl	267	2362	8.43	270	108.47	536 <sup>1</sup> /1144 <sup>2</sup>	200.08
pci bridge32	369	5685	12.51	372	112.52	740 <sup>1</sup> /1568 <sup>2</sup>	200.04
pci conf cyc addr dec	64	32	15.62	67	121.88	130 <sup>1</sup> /258 <sup>2</sup>	212.50
pci spoci ctrl	38	280	10.00	41	110.36	78 <sup>1</sup> /130 <sup>2</sup>	200.71
sasc	28	172	20.35	31	121.51	58 <sup>1</sup> /106 <sup>2</sup>	204.65
simple spi	28	214	19.63	31	120.09	58 <sup>1</sup> /106 <sup>2</sup>	200.93
spi	92	1059	8.78	95	108.97	186 <sup>1</sup> /366 <sup>2</sup>	200.57
ss pcm	28	114	19.30	31	121.05	58 <sup>1</sup> /94 <sup>2</sup>	205.26
steppermotordrive	8	40	12.50	11	115.00	18 <sup>1</sup> /34 <sup>2</sup>	205.00
systemcaes	389	2256	8.91	392	108.95	780 <sup>1</sup> /1296 <sup>2</sup>	200.09
systemcdes	197	653	16.39	200	116.54	396 <sup>1</sup> /656 <sup>2</sup>	200.31
tv80	46	2297	9.53	49	109.58	94 <sup>1</sup> /222 <sup>2</sup>	200.09
usb funct	249	3899	8.54	252	108.59	500 <sup>1</sup> /984 <sup>2</sup>	200.21
usb phy	33	111	10.81	36	111.71	68 <sup>1</sup> /140 <sup>2</sup>	201.80
vga lcd	198	30854	11.62	201	111.63	398 <sup>1</sup> /834 <sup>2</sup>	200.01
wb conmax	2546	13244	12.61	2549	112.62	5094 <sup>1</sup> /10758 <sup>2</sup>	200.03
wb dma	432	1055	5.21	435	105.40	866 <sup>1</sup> /1726 <sup>2</sup>	200.57

TABLE I: IWLS2005 benchmarks: Comparison of Results of the Parity Waterfall and Duplication with Comparison methods.

<sup>1</sup> Single board implementation

<sup>2</sup> Implementation on two independent boards

marks [4]. The benchmark source files has been synthesized and modified according to flow presented in Section III-A3.

All results presented in this paper are results of the simulation based on post-synthesis EDIF file. The simulator is able to apply a single bit-flip fault to a LUT memory or a stuck-at fault at any input, output, or internal signal.

Two main parameters – the total size and the fault coverage – have been measured. The fault coverage measurement was performed for small benchmarks (containing up to 300 LUTs) only. Because the 100% fault coverage was achieved in all these small cases, the rest of the benchmarks has been used to measure total size only (The principles of this method do not depend on the size of circuits, the fault coverage of the bigger circuits will be 100%, too.) Therefore, the total size and the comparison between methods with the same fault coverage is the main focus of the results.

## A. Parity Waterfall Method vs Duplication with Comparison

The results of the PWtf method and a common DwC method are shown in Table I. Original size means the size of the

benchmark after synthesis and the values are the numbers of inputs and outputs (IOs), and used LUTs. The rests of the results are the sizes of the methods relative to the original size expressed as a percentage. The Overhead is only the redundant logic of the method, the PWtf and the DwC represent the sizes of the methods including the checkers. The number of IOs of the DwC method varies when the method is implemented in a single board or in two independent boards.

The Overhead values show that the PWtf method applied on the benchmarks achieved better results (less redundant logic) than the duplication itself.

The fault coverage of the new method is the same as the fault coverage of the DwC and the PWtf method has a lower overhead for all benchmarks.

Results show that the proposed PWtf method has the half size against the DwC method in most cases. Moreover, the number of IOs of the DwC method is doubled (or quadrupled) when compared with the original method, but the proposed PWtf method adds only three IOs (the parity of inputs, the parity of outputs, and the *OK/Fail* output of the checker).

TABLE II: IWLS2005 benchmarks: Comparison of Results of the Duplication with Parity Waterfall and Triple Modular Redundancy methods.

Benchmark	Original		Overhead	DwPW	tf	TMR	
	(IOs)	(LUTs)	(%)	(IOs)	(%)	(IOs)	(%)
ac97_ctrl	132	3184	15.30	270 <sup>1</sup> /466 <sup>2</sup>	230.65	399 <sup>1</sup> /831 <sup>3</sup>	300.19
aes_core	388	6783	13.70	782 <sup>1</sup> /1302 <sup>2</sup>	227.42	1167 <sup>1</sup> /2328 <sup>3</sup>	300.04
des_area	304	1588	13.04	614 <sup>1</sup> /874 <sup>2</sup>	226.45	915 <sup>1</sup> /1491 <sup>3</sup>	312.47
des_perf	298	9946	18.97	$602^{1}/862^{2}$	237.97	897 <sup>1</sup> /1473 <sup>3</sup>	300.03
ethernet	213	12642	15.08	432 <sup>1</sup> /896 <sup>2</sup>	230.19	642 <sup>1</sup> /1677 <sup>3</sup>	300.05
i2c	33	277	12.27	72 <sup>1</sup> /132 <sup>2</sup>	225.27	$102^{1}/228^{3}$	301.08
mem_ctrl	267	2362	8.43	540 <sup>1</sup> /1152 <sup>2</sup>	216.93	804 <sup>1</sup> /2172 <sup>3</sup>	300.13
pci_bridge32	369	5685	12.51	744 <sup>1</sup> /1576 <sup>2</sup>	225.05	1110 <sup>1</sup> /2973 <sup>3</sup>	300.11
pci_conf_cyc_addr_dec	64	32	15.62	134 <sup>1</sup> /266 <sup>2</sup>	243.75	195 <sup>1</sup> /483 <sup>3</sup>	525.00
pci_spoci_ctrl	38	280	10.00	82 <sup>1</sup> /138 <sup>2</sup>	220.71	117 <sup>1</sup> /234 <sup>3</sup>	301.07
sasc	28	172	20.35	$62^{1}/114^{2}$	243.02	87 <sup>1</sup> /195 <sup>3</sup>	327.91
simple_spi	28	214	19.63	$62^{1}/114^{2}$	240.19	87 <sup>1</sup> /195 <sup>3</sup>	301.40
spi	92	1059	8.78	190 <sup>1</sup> /374 <sup>2</sup>	217.94	279 <sup>1</sup> /684 <sup>3</sup>	303.68
ss_pcm	28	114	19.30	$62^{1}/102^{2}$	242.11	87 <sup>1</sup> /168 <sup>3</sup>	334.21
steppermotordrive	8	40	12.50	$22^{1}/42^{2}$	230.00	$27^{1}/63^{3}$	307.50
systemcaes	389	2256	8.91	784 <sup>1</sup> /1304 <sup>2</sup>	217.91	1170 <sup>1</sup> /2331 <sup>3</sup>	300.13
systemcdes	197	653	16.39	$400^{1}/664^{2}$	233.08	594 <sup>1</sup> /1179 <sup>3</sup>	300.46
tv80	46	2297	9.53	98 <sup>1</sup> /230 <sup>2</sup>	219.16	141 <sup>1</sup> /429 <sup>3</sup>	300.52
usb_funct	249	3899	8.54	$504^{1}/992^{2}$	217.18	750 <sup>1</sup> /1839 <sup>3</sup>	303.92
usb_phy	33	111	10.81	72 <sup>1</sup> /148 <sup>2</sup>	223.42	1021/2643	305.41
vga_lcd	198	30854	11.62	4021/8422	223.28	597 <sup>1</sup> /1578 <sup>3</sup>	300.32
wb_conmax	2546	13244	12.61	5098 <sup>1</sup> /10766 <sup>2</sup>	225.25	7641 <sup>1</sup> /20385 <sup>3</sup>	332.12
wb_dma	432	1055	5.21	870 <sup>1</sup> /1734 <sup>2</sup>	210.81	1299 <sup>1</sup> /3234 <sup>3</sup>	361.42

<sup>1</sup> Single board implementation

<sup>2</sup> Implementation on two independent boards

<sup>3</sup> Implementation on three independent boards

# B. Parity Waterfall Method Encapsulation vs Triple Modular Redundancy

The results of the DwPWtf method and a common TMR method are shown in Table II. The columns are identical to the columns used in Table I. Original size means the size of the benchmark after synthesis and the values are the numbers of inputs and outputs (IOs), and used LUTs. The rests of the results are the sizes of the methods relative to the original size (without any type of redundancy) expressed as a percentage. The Overhead is only the redundant logic of the PWtf method, the DwPWtf and the TMR represent the sizes of the methods varies when the method is implemented in a single board or in two (DwPWtf) or three (TMR) independent boards.

The proposed DwPWtf method has a lower overhead for all benchmarks. The difference between the overheads of these methods is better than ca. 70% in most cases. More important improvement can be found in the number of IOs of the methods. TMR method requires three sets of independent IOs and three independent boards to guarantee the ability to localize a single fault and to be able to continue its operation during a fault recovery process. On the other hand, the proposed DwPWtf method requires two sets of IOs and two independent boards only.

# V. CONCLUSION

The Parity Waterfall (PWtf) method and the Duplication with Comparison (DwC) based on the parity waterfall allowing the detection of all faults affecting the circuit implemented in Field Programmable Gate Array (FPGA) has been presented in this paper. The method has been applied on IWLS2005 sets of benchmarks to create self-checking circuits.

The main advantage of the method is the ability to create a self-checking circuit able to detect all faults affecting it without a fault simulation, thus it does not depend on a selected fault model.

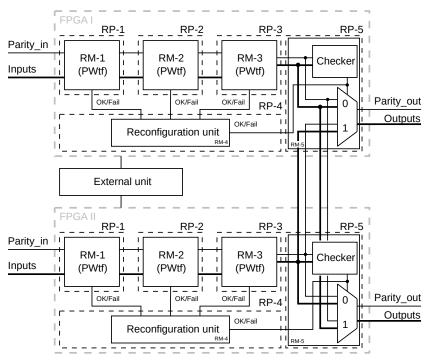


Fig. 9: Parity Driven Reconfigurable Duplex System.

The results indicate that the fault coverage of the presented method is able to detect all faults affecting Look-Up Tables (LUTs) and the routing logic. The overhead of the method has been compared with DwC method and the results indicate that the method has lower overhead than DwC in all benchmarks.

The PWtf has been also encapsulated using the DwC method allowing not only the detection of all faults affecting the circuit, but also the localization of the detected faults, thus the system may be fully operational during a fault repair and recovery processes.

More important improvement can be found in the number of IOs of the methods. Triple Modular Redundancy (TMR) method requires three sets of independent IOs and three independent boards to guarantee the ability to mask a single fault. On the other hand, the proposed Duplication with Parity Waterfall (DwPWtf) method requires two sets of IOs and two independent boards only. Number of IOs which are needed for interconnection between boards is included. Our method reduces number of IOs, boards, difficulty and also price.

## A. Future Work

We are currently working on application of PWtf method on previously designed Upgraded Modified Duplex System (UMDS)[19]. The system is designed to achieve high Availability. The architecture is composed of Reconfigurable Partitions (RPs) – blocks able to use partial reconfiguration to repair their transient faults (SEUs). A Reconfigurable Module (RM) (based on PWtfdesign) will be placed in the RP. The proposed system will be based on two boards, each one containing one FPGA loaded with the same design (see Figure 9). An error is mostly detected by an internal checker included in an RM. The Fail signal of the encapsulating RP is active in such case and the Reconfiguration unit reconfigures the affected RP only. For example: RM-1 detects an error, the Fail signal is activated, and the RP-1 is reconfigured. Other partitions (RP-2, RP-3, etc.) are fully operational during the reconfiguration. This partial reconfiguration is significantly faster than a reconfiguration of the whole FPGA, thus a higher Availability can be achieved.

When a fault affects the Reconfiguration unit, the External unit performs reconfiguration of the whole FPGA. The error at this region is detected by two consecutive reconfigurations of the same RP (the Reconfiguration unit receives a false positive signal about RP failures) or by an internal checker of the Reconfiguration unit.

This enhancement should lead to a significant improvement of the Availability parameter. If the reconfiguration and the synchronization after reconfiguration will be performed correctly, the system should be able to reach Availability comparable with a TMR system. The enhanced system will be still based on two independent boards only, thus is could be produced with reduced costs (when compared to TMR based on three independent boards).

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#### REFERENCES

- Normand, E.: "Single Event Upset at Ground Level, IEEE Transactions on Nuclear Science", vol. 43, 1996, pp. 2742–2750.
- [2] Avižienis, A.; Laprie, J.-C.; Randell, B. and Landwehr C.: "Basic Concepts and Taxonomy of Dependable and Secure Computing", IEEE Transactions on Dependable and Secure Computing, Vol. 1, No. 1, January–March 2004.
- [3] Pradhan, D. K.: "Fault-Tolerant Computer System Design", Prentice Hall PTR, Upper Saddle River, New Jersey 1996, ISBN 0-7923-7991-8.
- [4] Albrecht, C. IWLS 2005 Benchmarks. Technical report, June 2005.
- [5] Borecký, J; Kohlík, M.; Kubátová, H.: "Parity Waterfall Method", 2016 IEEE 19th International Symposium on Design and Diagnostics of Electronic Circuits & Systems (DDECS), Kosice, Slovakia, 2016, pp. 21-26, ISBN 978-1-5090-2466-7.
- [6] Borecký, J; Kohlík, M.; Vít, P.; Kubátová, H.: "Enhanced Duplication Method with TMR-Like Masking Abilities", 2016 Euromicro Conference on Digital System Design (DSD), Limassol, 2016, pp. 690-693, ISBN 978-1-5090-2817-7.
- Xilinx, Virtex-5 Libraries Guide for HDL Designs, http://www.xilinx. com/support/documentation/sw\_manuals/xilinx11/virtex5\_hdl.pdf, April, 2015
- [8] Bellato, M.; Bernardi, P.; Bortolato, D.; Candelori, A.; Ceschia, M.; Paccagnella, A.; Rebaudengo, M.; Reorda, M.S.; Violante, M.; Zambolin, P., "Evaluating the effects of SEUs affecting the configuration memory of an SRAM-based FPGA", Design, Automation and Test in Europe Conference and Exhibition, 2004. Proceedings, vol.1, pp.584,589 Vol.1, 16-20 Feb. 2004, ISBN 0-7695-2085-5.
- [9] Syam Sundar Reddy, E.; Vikram Chandrasekhar; Sashikanth, M.; Kamakoti, V.; Vijaykrishnan, N., "Detecting SEU-caused routing errors in SRAM-based FPGAs", VLSI Design, 2005. 18th International Conference on, pp.736,741, 3-7 Jan. 2005, ISBN 0-7695-2264-5.
- [10] Samudrala, P.; Ramos, J.; Katkoori, S. Selective triple Modular redundancy (STMR) based single-event upset (SEU) tolerant synthesis for FPGAs. *Nuclear Science, IEEE Transactions on*, volume 51, no. 5, Oct 2004: pp. 2957–2969, ISSN 0018-9499.
- [11] Ju-Yueh Lee; Yu Hu; Majumdar, R.; Lei He; Minming Li, "Faulttolerant resynthesis with dual-output LUTs", Design Automation Conference (ASP-DAC), 2010 15th Asia and South Pacific, pp.325,330, 18-21 Jan. 2010, ISBN 978-1-4244-5765-6.
- [12] Leveugle, R.; Ben Jrad, M., "On improving at no cost the quality of products built with SRAM-based FPGAs", Quality Electronic Design (ASQED), 2013 5th Asia Symposium on, pp.295,301, 26-28 Aug. 2013, ISBN 978-1-4799-1312-1.
- [13] Ben Jrad, M.; Leveugle, R., "Automated design flow for no-cost configuration error detection in sram-based FPGAs", Reconfigurable Computing and FPGAs (ReConFig), 2013 International Conference on, pp.1,6, 9-11 Dec. 2013, ISBN 978-1-4799-2078-5.
- [14] Kyriakoulakos, K.; Pnevmatikatos, D., "A novel SRAM-based FPGA architecture for efficient TMR fault tolerance support", Field Programmable Logic and Applications, 2009. FPL 2009. International Conference on, pp.193,198, Aug. 31 2009-Sept. 2 2009
- [15] Das, A.; Venkataraman, S.; Kumar, A., "Improving autonomous softerror tolerance of FPGA through LUT configuration bit manipulation", Field Programmable Logic and Applications (FPL), 2013 23rd International Conference on, pp.1,8, 2-4 Sept. 2013.

- [16] Rohani, A.; Zarandi, H.R., "A New CLB Architecture for Tolerating SEU in SRAM-Based FPGAs", Reconfigurable Computing and FPGAs, 2009. ReConFig '09. International Conference on, pp.83,88, 9-11 Dec. 2009
- [17] Berkeley Logic Synthesis and Verification Group. ABC: A System for Sequential Synthesis and Verification. 2000, http://www.eecs.berkeley.edu/~alanmi/abc/.
- [18] de Lima Kastensmidt, F.G.; Neuberger, G.; Hentschke, R.F.; Carro, L.; Reis, R.: "Designing fault-tolerant techniques for SRAM-based FPGAs", Design & Test of Computers, IEEE, vol.21, no.6, pp.552,562, Nov.-Dec. 2004, ISSN 0740-7475.
- [19] Borecký, J; Kohlík, M.; Vít, P.; Kubátová, H.: "Fault Recovery Method with High Availability for Practical Applications", 2014 17th Euromicro Conference on Digital System Design, Verona, 2014, pp. 320-325, ISBN 978-1-4799-5793-4.



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